

The introduction of a parameterization for multiple scattering in RTIASI, the ECMWF fast radiative transfer model for the Infrared Atmospheric Sounding Interferometer

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% A prerequisite for exploiting radiances from conventional and high-resolution sounders in NWP models is the availability of a fast radiative transfer model to predict a first guess radiance from the model fields.

% As part of the preparations being made at ECMWF to exploit the Infrared Atmospheric Sounding Interferometer (IASI) (Cayla 1993) datasets, EUMETSAT has funded the development of RTIASI (Matricardi and Saunders 1999, Matricardi 2003, Matricardi 2005), the ECMWF fast radiative transfer model for IASI.

% RTIASI is a regression based (on fixed pressure levels) fast radiative transfer model where the atmospheric optical depths, $\tau_{j,}$ are modelled as functions of profile dependent predictors $X_{k,j}$:

$$\tau_j = \sum_{k=1}^M a_{k,j} X_{k,j}$$

% The expansion coefficients $a_{k,j}$ are obtained by multiple linear regression of accurate line-by-line computed optical depths against the corresponding values of $X_{k,j}$ for a diverse set of atmospheric profiles.

% Radiance calculations in RTIASI are performed assuming the atmosphere is divided into 89 layers of fixed pressure levels. The pressure grid extents from 1050 hPa to 0.005 hPa.

% In RTIASI, fixed amounts are used for N_2 , O_2 , OCS, CCl_4 , CF_4 , CCl_3F , CCl_2F_2 and HNO_3 whereas H_2O , CO_2 , O_3 , N_2O , CO, CH_4 are allowed to vary and are profile variables in the fast model.

% Radiance computations in RTIASI are performed assuming the atmospheric source function throughout an atmospheric layer varies linearly with the optical depth of the layer (linear in τ approximation).

% The RTIASI radiative transfer can optionally include solar radiation in region of the spectrum between 3.6 μ m and 5 μ m.

Over land, a Lambertian surface is assumed
 Over a wind roughened water surface, the bidirectional reflectivity is computed explicitly considering the full geometry of the situation.

% A new feature included in the latest version of RTIASI, RTIASI-5, is the introduction in the radiative transfer of multiple scattering by aerosols and clouds.

% It should be mentioned that work is in progress to merge the science of RTIASI into RTTOV (Saunders et al. 2002), the NWP SAF fast radiative transfer model.

% This will enable the RTTOV wider community of users to make use of the advanced capabilities of RTIASI.

This is especially important for ECMWF where (among other NWP centres) RTTOV is used operationally. In fact the development and implementation at ECMWF of a global data assimilation/forecast system for atmospheric composition and dynamics (GEMS project) will require the availability of a fast radiative transfer model with the capability of including aerosols and trace gases in the forward calculations.

% The azimuthally independent radiative transfer equation for the problem of multiple scattering in plane parallel atmospheres can be written as

$$\mu \frac{dI(\tau,\mu)}{d\tau} = I(\tau,\mu) - \frac{\omega}{2} \int_{-1}^{1} I(\tau,\mu') \overline{P}(\mu,\mu') d\mu' - \frac{\omega}{4\pi} F \overline{P}(\mu,-\mu_o) e^{\frac{-\tau}{\mu_o}} + (1-\omega) B[T(\tau)]$$

where ω is the single scattering albedo, \overline{P} is the azimuthally averaged phase function, τ is the extinction optical depth and F is the solar irradiance.

Since the source function includes the local radiation field, the solution is an integral equation.



% Numerical solutions (e.g. discrete-ordinates, doubling-adding) are available that present few difficulties.

It should be noted that within the framework of RTIASI we can only consider, in principle, an analytical solution given by approximate methods since numerical solutions are too computationally expensive.



%A useful and accurate approximation is the two-stream approximation sometimes used in climate models (Liou 2002).

However, since RTIASI uses the polychromatic form of the radiative transfer equation, we found the two-stream approximation not amenable to incorporation in RTIASI. In fact, we carried out trials that show that this would results in too large errors (several degrees Kelvin).

% In RTIASI-5, multiple scattering is parameterized by scaling the optical depth by a factor derived by including the effect of backward scattering in the emission of a layer and in the transmission between levels (Chou et al. (1999)).

This parameterization rests on the assumption that the diffuse radiance field is isotropic and can be approximated by the Planck function.

% Since the parameterization (referred to hereafter as scaling approximation) does not require explicit calculations of multiple scattering (the radiative transfer equation is identical to that in clear sky conditions) the computational efficiency of RTIASI can be retained.

% In the scaling approximation, multiple scattering is parameterized by replacing the absorption optical depth, τ_a , with an effective extinction optical depth, $\tilde{\tau}_e$, defined as

$$\tilde{\tau}_e = \tau_a + b \, \tau_s$$

where τ_s is the scattering optical depth and *b* is the integrated fraction of energy scattered backward for incident radiation from above or below.

$$b = \frac{1}{2} \int_{0}^{1} d\mu \int_{-1}^{0} \overline{P}(\mu, \mu') d\mu'$$

%In presence of solar radiation, in addition to the direct component we include in the radiative transfer equation the diffuse component represented by the single scattering of the solar beam.

 \rightarrow In the present implementation of RTIASI the direct and diffuse solar components are evaluated using the effective extinction optical depth, $\tilde{\tau}_e$. However, a comparison with measured radiances (DeSouza-Machado, personal communication) shows that a better agreement can be obtained if for these components the extinction (i.e. $\tau_e = \tau_a + \tau_s$) is used instead.

% The RTIASI-5 radiative transfer can include by default eleven basic aerosol components, five types of water clouds and eight types of cirrus clouds correspondent to the eight size distributions given by Heymsfield and Platt (1984).

% A database of optical properties (i.e. absorption coefficient, scattering coefficient, backscatter parameter and phase function) for aerosols and water droplets has been generated using the Lorentz-Mie theory for spherical particles for every single IASI channel.

% Note that in RTIASI values of the phase function are available for a total of 208 scattering angles. Values are given for every 0.1° from 0° to 3° otherwise they are given for every 1°.

% The microphysical parameters (e.g. size distribution, refractive indices) used to generate the database of optical properties for aerosols and water clouds are those included in the Optical Properties of Aerosols and Clouds (OPAC) software package (Hess et al. 1998).

% The aerosols optical properties can be computed for any mixture of the default eleven components or, alternatively, for 10 aerosols types composed of pre-defined mixtures of basic components representative of average and extreme conditions for a range of climatological important aerosols.

The aerosol components

The aerosol types

- Insoluble
- Water-soluble
- Soot
- Sea salt (two modes)
- Mineral (three modes)
- Mineral-transported Sulfate droplets Volcanic ash

- Continental clean
- Continental average
- Continental polluted
- Urban
- Desert
- Maritime clean
- Maritime polluted
- Maritime tropical
- Arctic
- Antarctic



Aerosol size distribution





% In RTIASI-5 optical properties for water clouds are available for any of the following cloud types:

	Effective radius	Liquid water content
	(µm)	$(g m^{-3})$
\rightarrow Stratus (continental)	7.33	0.28
→ Stratus (maritime)	11.30	0.3
\rightarrow Cumulus (continental clean) 5.77	0.26
\rightarrow Cumulus (continental pollut	ted) 4.00	0.3
\rightarrow Cumulus (maritime)	12.68	0.44

Water cloud size distribution





% In RTIASI-5, cirrus clouds are considered to be made of hexagonal ice crystals randomly oriented in space. Optical properties are available for the eight Heymsfield and Platt size distributions.

Temperature range	IWC	Effective size
(K)	(g m ⁻³)	(µm)
-20 to -25	0.025	64.3
-25 to -30	0.026	59.3
-30 to -35	0.022	80.3
-35 to -40	0.028	59.6
-40 to -45	0.0051	29.7
-45 to -50	0.0026	30.0
-50 to -55	0.0027	22.1
-55 to -60	0.00071	39.0

% To better resolve the structure of the spectra we have discretized the size distribution into 24 bins. The midpoint crystal length varies from 4 μm to 3500 μm .

% The width, D, of the crystal has been derived from the length, L, of the crystal using the aspect ratio given in Yang et al. (2003).

$\begin{array}{cccc} 4 & 100 & 650 \\ 7.5 & 120 & 750 \\ \end{array}$	
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	L≤40µm 40 <l≤50µm L>50µm</l≤50µm

% A composite database of optical properties (i.e. absorption coefficient, scattering coefficient, backscatter parameter and phase function) for hexagonal ice crystals has been generated using the Geometric Optics (GO) method (Macke et al., 1996) for large crystals and the T-matrix method (Kahnert 2004) for small crystals.

Crystal length (µ)

4

60

60

80

80

T-matrix Whole spectrum Whole spectrum 7.5 **T-matrix** Whole spectrum **T-matrix** Whole spectrum **T-matrix** Whole spectrum **T-matrix T-matrix** $\geq 5 \mu m$ GO <5µm **T-matrix** ≥6µm GO <6µm **T-matrix** $\geq 11 \mu m$ GO $<11 \mu m$ **T-matrix** 100 $\geq 14 \mu m$ 100 GO <14µm GO 130 Whole spectrum





% It is envisaged that when RTIASI is merged into RTTOV, optical properties will also be available for ice crystals made of randomly oriented ice aggregates (Baran 2003).

% In addition, the eight size distributions by Heymsfeild and Platt will be complemented by the size distributions prepared by Fu (1996).



% The optical properties used by default in RTIASI-5 for aerosols, water clouds and cirrus clouds, have been obtained on the basis of microphysical properties that, given their highly variable nature, do not necessarily reflect an actual situation. For this reason, RTIASI-5 allows the user to externally specify the values of the optical properties used in the radiative transfer.

% To asses the accuracy of the scaling approximation we have compared approximate radiances with reference radiances computed by using a doubling-adding algorithm.

 \rightarrow For water clouds, errors are typically less than 1K in the thermal infrared and less than 4K in the short wave (the inclusion of a water cloud can result in a reduction of the top of the atmosphere radiance by 30K in the thermal infrared and by 40K in the short wave).

 \rightarrow For the cirrus cloud type we found a remarkable agreement between approximate and reference radiances. For a tropical profile, errors introduced by the scaling approximation never exceed 0.5K whereas for an arctic profile errors are typically below 0.1K.































% To solve the radiative transfer for a partly cloudy atmosphere (i.e. horizontally non-homogeneous) RTIASI-5 features a scheme, stream method,) that divides the field of view (FOV) into a number of homogeneous columns. Each column is characterized by a different number of cloudy layers, hence different radiative properties, and contributes to a fraction of the overcast radiance that depends on the cloud overlapping assumption.

→ Alternative implementations of the stream method have been presented in Amorati and Rizzi (2002) and Räisänen et al.(2004).

% Despite being potentially more accurate than the widely used approach of reducing a partly cloudy layer to an equivalent homogeneous layer, the stream method has seldom been exploited since depending on the number of layers and the overlapping assumption, the number of column can become so large that is impractical to use when lower order approximations (e.g two stream method) are used for multiple scattering.

→ However, given the nature of the multiple scattering parameterization used in RTIASI-5, the computational burden of the stream method is only a fraction of the total and consequently we have implemented it in RTIASI.

The number of columns depends on the cloud overlapping assumption (maximum-random in RTIASI-5) and the total radiance is obtained as the sum of the radiances from the single columns weighted by the column fractional coverage:

$$L^{total} = \left\{ \sum_{s=1}^{n_c} L^{overcast}(X_{s+1} - X_s) \right\} + L^{clear}(1 - X_{n_c+1})$$

